PART IV

MEETINGS OF COMMISSIONS

https://doi.org/10.1017/S0251107X00018307 Published online by Cambridge University Press

MEETINGS OF COMMISSIONS

COMMISSION 3 (NOTATIONS)

PRESIDENT: Prof. E. STRÖMGREN. SECRETARY: Dr LOUIS C. GREEN.

The new corrected list and the new suggestions received from members of the I.A.U. were discussed at the meeting, and some alterations in the list were adopted. The Commission decided to ask the General Assembly to adopt the list of notations in the form given below.

After the close of the meeting a letter was received from General Seligmann, the President of the Commission on Notations of the International Geodetic Association, asking for co-operation with regard to symbols common to astronomy and geodesy. Co-operation of this kind is clearly of great importance, and the matter will no doubt be discussed by the Commission in the future.

SPHERICAL ASTRONOMY

A (or Az if necessary to avoid confusion)

	Azimuth, reckoned from S. towards W.
h	Altitude.
2	Zenith distance.
φ (or φ)	Altitude of north pole.
H or t	Hour angle.
δ	Declination, positive north of the equator, negative south of the equator
	(the sign should be stated, not the designation N. or S.).
η	Parallactic angle.
α	Right ascension.
θ	Sidereal time.
θο	Sidereal time at mean midnight.
Ě	Equation of time, true solar time minus mean solar time.
L	Geographical longitude, reckoned from Greenwich, positive towards W.,
	negative towards E.
φ (or φ)	Geographical latitude, positive north of the equator, negative south of
••••	the equator.
L, G, Z	as upper indices denote that the quantity refers to the local meridian,
	Greenwich meridian or zone meridian respectively.
E	Obliquity of the ecliptic.
λ	Geocentric longitude, the ecliptic being the fundamental great circle.
β	Geocentric latitude, the ecliptic being the fundamental great circle.
1	Heliocentric longitude, the ecliptic being the fundamental great circle.
Ь	Heliocentric latitude, the ecliptic being the fundamental great circle.
a	Semi-major axis of meridian ellipse of the earth.
b	Semi-minor axis of meridian ellipse of the earth.
	Comparison of the conthe defined on $u = a - b$
α	Compression of the earth, defined as $\alpha = \frac{a}{a}$.
g	Effective acceleration of gravity.
ρ	Distance from the centre of the earth.
φ' (or φ')	Geocentric latitude.
P_0	Equatorial horizontal parallax.
P_{h}	Parallax in altitude, geocentric minus topocentric (positive or zero).
P_a	Parallax in right ascension, geocentric minus topocentric.

Parallax in declination, geocentric minus topocentric.
Equatorial horizontal parallax of the sun at mean distance.
as upper indices denote that the position refers to the observing place (topocentric position) or the centre of the earth (geocentric position).
General precession in longitude in one tropical year.
Luni-solar precession in one tropical year.
Planetary precession in one tropical year.
Annual precession in right ascension, $p_a = m + n \sin \alpha \tan \delta$.
Annual precession in declination, $p_{\delta} = n \cos \alpha$.
Variatio saecularis in right ascension, i.e. change of p_{α} in 100 tropical years.
Variatio saecularis in declination, i.e. change of p_{δ} in 100 tropical years.
Annual change in the inclination of the ecliptic towards the fundamental ecliptic (1850.0).
Longitude of the ascending node of the ecliptic relative to the fundamental ecliptic (1850.0)
Right ascension of the north pole of the equator relative to a fundamental equator and equinox.
Declination of the north pole of the equator relative to a fundamental equator.
Nutation in longitude.
Nutation in obliquity of the ecliptic.

The reduction from mean place for the beginning of the year to apparent place should be written in the notation of the great ephemerides.

- R Refraction.
- z Zenith distance affected by refraction.

 ζ Zenith distance corrected for refraction, $\zeta = z + R$.

 R_0 Constant of refraction.

POSITIONAL ASTRONOMY

Т	Observed clock time of transit.
ΔT	Clock correction, positive if clock is slow.

- r Diurnal clock rate.
- k Azimuth error of transit instrument.
- *i* Level error of transit instrument.
- c Collimation error of transit instrument.
- m Bessel's m.
- n Bessel's n.
- b Horizontal flexure.

x, y Rectangular Polarissima co-ordinates.

- $\Delta \alpha_a, \Delta \delta_a$ Systematic corrections or differences in right ascension resp. declination depending on right ascension.
- $\Delta \alpha_{\delta}, \Delta \delta_{\delta}$ Systematic corrections or differences in right ascension resp. declination depending on declination.
- $\Delta \alpha_m$, $\Delta \delta_m$ Systematic corrections or differences in right ascension resp. declination depending on magnitude.
- *p* Position angle, reckoned from N. towards E.
- d Angular distance.
- Revolution value.
- Δp Deviation of micrometer thread from apparent parallel.
- x, y Rectangular co-ordinates of instrumental pole.

- A_0, D_0 Right ascension and declination of zero point on photographic plate, referred to a standard mean equinox.
- X, Y Standard rectangular co-ordinates, defined by α , δ , A_0 and D_0 .
- Measured rectangular co-ordinates. x_m, y_m

 $\begin{cases} f, g, h \\ r, s, t \end{cases}$

Rectangular co-ordinates, corrected to conform with the adopted transx, y formation formula to standard co-ordinates.

Rectangular co-ordinates (x, y) for the actual point of tangency. p, q

$\begin{cases} A, B, C \\ -B, A, D \end{cases}$	Orthogonal linear plate constants, defined by $\begin{cases} X = Ax + By + C. \\ Y = -Bx + Ay + D. \end{cases}$
$ \begin{cases} a, b, c \\ k, l, m \end{cases} $	General linear plate constants, defined by $\begin{cases} X = ax + by + c. \\ Y = kx + by + m. \end{cases}$

Second order plate constants, defined by

 $\begin{cases} X = ax + by + c + fx^{2} + gxy + hy^{2}. \\ Y = hx + ly + m + rx^{2} + sxy + ty^{2}. \end{cases}$

CELESTIAL MECHANICS

GGravitational constant.mPlanetary mass in units of the solar mass.iTime of observation or instant considered.TPerihelion time.i_0Mean anomaly at time of epoch. ω Angle from ascending node to perihelion. π Longitude of perihelion, $\pi = \omega + \Omega$. Ω Longitude of the ascending node.iInclination.eEccentricity of orbit. ϕ (or ϕ)Angle of eccentricity, defined by $e = \sin \phi$. π Mean angular motion per mean solar day. a Semi-major axis of orbit. q Perihelion distance. p Parameter, $p = q$ ($1 + e$). P Orbital period. M Mean anomaly. B Parabolic time argument in Barker's equation, defined by $u = \omega + v$. r r Radius vector from the centre of the sun.Rectangular co-ordinates in the orbit divided by the major axis, define v_{x} $r \cos v = aC$. r_{y} Rectangular equatorial heliocentric co-ordinates. x_{y} Gaussian equatorial constants.	k	Gaussian gravitational constant.
mPlanetary mass in units of the solar mass.iTime of observation or instant considered.TPerihelion time.iTime of epoch.MoMean anomaly at time of epoch. ω Angle from ascending node to perihelion. π Longitude of perihelion, $\pi = \omega + \Omega$. Ω Longitude of perihelion, $\pi = \omega + \Omega$. α Inclination.eEccentricity of orbit. ϕ (or ϕ)Angle of eccentricity, defined by $e = \sin \phi$. n Mean angular motion per mean solar day. a Semi-major axis of orbit. q Perihelion distance. p Parameter, $p = q$ $(1 + e)$. P Orbital period. M Mean anomaly. B Parabolic time argument in Barker's equation, defined by B Parabolic time argument in Barker's equation, defined by $u = \omega + v$. v v True anomaly. $u = \omega + v$. v v Radius vector from the centre of the sun.Rectangular co-ordinates in the orbit divided by the major axis, define C_1 $v = aS$. x_1^{\prime} Rectangular equatorial heliocentric co-ordinates. x_2^{\prime} Gaussian equatorial constants. c, C, C' Gaussian equatorial constants.	G	Gravitational constant.
tTime of observation or instant considered.TPerihelion time.toTime of epoch. M_0 Mean anomaly at time of epoch. ω Angle from ascending node to perihelion. π Longitude of perihelion, $\pi = \omega + \Omega$. Ω Longitude of the ascending node.iInclination.eEccentricity of orbit. ϕ (or ϕ)Angle of eccentricity, defined by $e = \sin \phi$.nMean angular motion per mean solar day.aSemi-major axis of orbit.qPerihelion distance.pParameter, $p = q$ ($r + e$).POrbital period.MMean anomaly.BParabolic time argument in Barker's equation, defined by $u = \omega + v$. $W = \omega + v$.rRadius vector from the centre of the sun.Rectangular co-ordinates in the orbit divided by the major axis, definedCby g' r cos $v = aC$. g' </th <th>m</th> <th>Planetary mass in units of the solar mass.</th>	m	Planetary mass in units of the solar mass.
TPerihelion time. t_0 Time of epoch. M_0 Mean anomaly at time of epoch. ω Angle from ascending node to perihelion. π Longitude of perihelion, $\pi = \omega + \Omega$. Ω Longitude of the ascending node. i Inclination. e Eccentricity of orbit. ϕ (or φ)Angle of eccentricity, defined by $e = \sin \phi$. n Mean angular motion per mean solar day. a Semi-major axis of orbit. q Perihelion distance. p Parameter, $p = q$ $(1 + e)$. P Orbital period. M Mean anomaly. B Parabolic time argument in Barker's equation, defined by B Eccentric anomaly. v True anomaly. u $u = \omega + v$. r Radius vector from the centre of the sun.Rectangular co-ordinates in the orbit divided by the major axis, define C_S by $\binom{r \cos v = aC}{r \sin v = aS}$. x_j y_j x_i x_i x_i y_j x_i <th><i>t</i></th> <th>Time of observation or instant considered.</th>	<i>t</i>	Time of observation or instant considered.
i_0 Time of epoch. M_0 Mean anomaly at time of epoch. ω Angle from ascending node to perihelion. π Longitude of perihelion, $\pi = \omega + \Omega$. Ω Longitude of the ascending node. i Inclination. e Eccentricity of orbit. ϕ (or φ)Angle of eccentricity, defined by $e = \sin \phi$. π Mean angular motion per mean solar day. a Semi-major axis of orbit. q Perihelion distance. p Parameter, $p = q$ ($1 + e$). P Orbital period. M Mean anomaly. B Parabolic time argument in Barker's equation, defined by $B = (t-T) q^{-\frac{3}{2}}$. E Eccentric anomaly. u $u = \omega + v$. r Radius vector from the centre of the sun. Rectangular co-ordinates in the orbit divided by the major axis, define C_S by $\begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases}$ y'_{2} Rectangular equatorial heliocentric co-ordinates. x'_{2} Gaussian equatorial constants.	T	Perihelion time.
$ \begin{array}{llllllllllllllllllllllllllllllllllll$	<i>t</i> 0	Time of epoch.
$ \begin{array}{llllllllllllllllllllllllllllllllllll$	M ₀	Mean anomaly at time of epoch.
$ \begin{array}{llllllllllllllllllllllllllllllllllll$	ω	Angle from ascending node to perihelion.
$ \begin{aligned} \Omega & \text{Longitude of the ascending node.} \\ i & \text{Inclination.} \\ e & \text{Eccentricity of orbit.} \\ \phi (\text{or } \phi) & \text{Angle of eccentricity, defined by } e = \sin \phi. \\ n & \text{Mean angular motion per mean solar day.} \\ a & \text{Semi-major axis of orbit.} \\ q & \text{Perihelion distance.} \\ p & \text{Parameter, } p = q (1 + e). \\ P & \text{Orbital period.} \\ M & \text{Mean anomaly.} \\ B & \text{Parabolic time argument in Barker's equation, defined by} \\ & B = (t - T) q^{-\frac{1}{2}}. \\ E & \text{Eccentric anomaly.} \\ v & \text{True anomaly.} \\ v & \text{True anomaly.} \\ u & u = \omega + v. \\ r & \text{Radius vector from the centre of the sun.} \\ \text{Rectangular co-ordinates in the orbit divided by the major axis, defined \\ S & \text{by } \begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases} \\ y \\ z \\ z \\ \end{bmatrix} \\ \text{Rectangular equatorial heliocentric co-ordinates.} \\ \end{cases} $	π	Longitude of perihelion, $\pi = \omega + \Omega$.
iInclination.eEccentricity of orbit. ϕ (or ϕ)Angle of eccentricity, defined by $e = \sin \phi$.nMean angular motion per mean solar day.aSemi-major axis of orbit.qPerihelion distance. ϕ Parameter, $p = q$ ($\mathbf{I} + e$).POrbital period.MMean anomaly.BParabolic time argument in Barker's equation, defined by $u = \omega + v$. $B = (t - T) q^{-\frac{1}{2}}$.EEccentric anomaly. v True anomaly. v True anomaly. v Radius vector from the centre of the sun. Rectangular co-ordinates in the orbit divided by the major axis, definedCSby $\begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases}$ $x \\ y \\ z \\ z$	Ω	Longitude of the ascending node.
$e \qquad \text{Eccentricity of orbit.} \\ \phi (\text{or } \phi) \qquad \text{Angle of eccentricity, defined by } e = \sin \phi. \\ n \qquad \text{Mean angular motion per mean solar day.} \\ a \qquad \text{Semi-major axis of orbit.} \\ q \qquad \text{Perihelion distance.} \\ p \qquad \text{Parameter, } p = q (1 + e). \\ P \qquad \text{Orbital period.} \\ M \qquad \text{Mean anomaly.} \\ B \qquad \text{Parabolic time argument in Barker's equation, defined by} \\ \qquad \qquad B = (t - T) q^{-\frac{4}{3}}. \\ E \qquad \text{Eccentric anomaly.} \\ v \qquad \text{True anomaly.} \\ v \qquad \text{True anomaly.} \\ v \qquad \text{True anomaly.} \\ v \qquad \text{Radius vector from the centre of the sun.} \\ \text{Rectangular co-ordinates in the orbit divided by the major axis, defined } \\ by \begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases} \\ e_x A, A' \\ b, B, B' \\ e_x C, C, C' \end{cases} \qquad \text{Gaussian equatorial heliocentric co-ordinates.} \\ e_x C, C, C' \end{cases}$	i	Inclination.
$ \begin{aligned} \phi & (\text{or } \phi) & \text{Angle of eccentricity, defined by } e = \sin \phi. \\ n & \text{Mean angular motion per mean solar day.} \\ a & \text{Semi-major axis of orbit.} \\ q & \text{Perihelion distance.} \\ p & \text{Parameter, } p = q (1 + e). \\ P & \text{Orbital period.} \\ M & \text{Mean anomaly.} \\ B & \text{Parabolic time argument in Barker's equation, defined by} \\ & & B = (t - T) q^{-\frac{1}{4}}. \\ E & \text{Eccentric anomaly.} \\ v & \text{True anomaly.} \\ v & \text{True anomaly.} \\ v & \text{True anomaly.} \\ v & \text{Radius vector from the centre of the sun.} \\ \text{Rectangular co-ordinates in the orbit divided by the major axis, defined} \\ \text{by } \begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases} \\ solution of the sum and the second secon$	e	Eccentricity of orbit.
nMean angular motion per mean solar day.aSemi-major axis of orbit.qPerihelion distance.pParameter, $p = q$ $(1 + e)$.POrbital period.MMean anomaly.BParabolic time argument in Barker's equation, defined by $B = (t - T) q^{-\frac{1}{2}}$.EEccentric anomaly.u $u = \omega + v$.rRadius vector from the centre of the sun. Rectangular co-ordinates in the orbit divided by the major axis, defined by $\begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases}$ xRectangular equatorial heliocentric co-ordinates.xGaussian equatorial constants. c, C, C'	φ (or φ)	Angle of eccentricity, defined by $e = \sin \phi$.
aSemi-major axis of orbit.qPerihelion distance.pParameter, $p = q$ (1+e).POrbital period.MMean anomaly.BParabolic time argument in Barker's equation, defined by $B = (t-T) q^{-\frac{3}{2}}$.EEccentric anomaly.vTrue anomaly.u $u = \omega + v$.rRadius vector from the centre of the sun. Rectangular co-ordinates in the orbit divided by the major axis, defined by $\begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases}$ xga, A, A' b, B, B' <th>n</th> <th>Mean angular motion per mean solar day.</th>	n	Mean angular motion per mean solar day.
qPerihelion distance.pParameter, $p=q$ (1+e).POrbital period.MMean anomaly.BParabolic time argument in Barker's equation, defined by $B=(t-T) q^{-\frac{3}{2}}$.EEccentric anomaly.vTrue anomaly.u $u=\omega+v$.rRadius vector from the centre of the sun. Rectangular co-ordinates in the orbit divided by the major axis, defined by $\begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases}$ xga, A, A' 	a	Semi-major axis of orbit.
$ \begin{array}{llllllllllllllllllllllllllllllllllll$	9	Perihelion distance.
POrbital period.MMean anomaly.BParabolic time argument in Barker's equation, defined by $B = (t-T) q^{-\frac{3}{2}}$.EEccentric anomaly.vTrue anomaly.vRadius vector from the centre of the sun. Rectangular co-ordinates in the orbit divided by the major axis, defined by $\begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases}$ xgraduation of the sun of the su	p .	Parameter, $p = q$ (1 + e).
M Mean anomaly. B Parabolic time argument in Barker's equation, defined by $B = (t-T) q^{-\frac{1}{2}}$. E Eccentric anomaly. v True anomaly. v True anomaly. v Radius vector from the centre of the sun. Rectangular co-ordinates in the orbit divided by the major axis, defined by $\begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases}$ $x \\ y \\ z \\ z \\ z \\ z \\ z \\ c, C, C' \end{cases}$ Rectangular equatorial heliocentric co-ordinates.	P	Orbital period.
B Parabolic time argument in Barker's equation, defined by $B = (t-T) q^{-\frac{1}{2}}$. E Eccentric anomaly. v True anomaly. u $u = \omega + v$. r Radius vector from the centre of the sun. Rectangular co-ordinates in the orbit divided by the major axis, defined by $\begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases}$ x y z a. A. A' b, B, B' Gaussian equatorial constants.	M	Mean anomaly.
$E \qquad \text{Eccentric anomaly.} \\ v \qquad \text{True anomaly.} \\ u \qquad u = \omega + v. \\ r \qquad \text{Radius vector from the centre of the sun.} \\ \text{Rectangular co-ordinates in the orbit divided by the major axis, defined} \\ by \begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases} \\ Rectangular equatorial heliocentric co-ordinates. \end{cases} \\ Rectangular equatorial heliocentric co-ordinates. \\ a, A, A' \\ b, B, B' \\ c, C, C' \end{cases}$	В	Parabolic time argument in Barker's equation, defined by $B = (t-T) q^{-\frac{3}{2}}$.
v True anomaly. u $u = \omega + v.$ r Radius vector from the centre of the sun. Rectangular co-ordinates in the orbit divided by the major axis, defined by $\begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases}$ z y z	Ε	Eccentric anomaly.
$\begin{array}{llllllllllllllllllllllllllllllllllll$	υ	True anomaly.
rRadius vector from the centre of the sun. Rectangular co-ordinates in the orbit divided by the major axis, defined by $\begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases}$ xyRectangular equatorial heliocentric co-ordinates.xgRectangular equatorial heliocentric co-ordinates.xgGaussian equatorial constants.	14	$u = \omega + v.$
Rectangular co-ordinates in the orbit divided by the major axis, defined $C \\ S \\ by \begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases}$ Rectangular equatorial heliocentric co-ordinates. $a, A, A' \\ b, B, B' \\ c, C, C' \end{cases}$ Rectangular equatorial constants.	*	Radius vector from the centre of the sun.
$ \begin{cases} C \\ S \\ \end{cases} \qquad by \begin{cases} r \cos v = aC. \\ r \sin v = aS. \end{cases} $ $ \begin{cases} x \\ y \\ z \\ \end{cases} \qquad Rectangular equatorial heliocentric co-ordinates. $ $ a, A, A' \\ b, B, B' \\ c, C, C' \end{cases} \qquad Gaussian equatorial constants. $		Rectangular co-ordinates in the orbit divided by the major axis, defined
$S \int \qquad by \ \{r \ sin \ v = aS.$ $x \\ y \\ z \\ a, A, A' \\ b, B, B' \\ c, C, C' \end{cases}$ $B V \{r \ sin \ v = aS.$ Rectangular equatorial heliocentric co-ordinates. $Gaussian \ equatorial \ constants.$	Cl	$\int_{D_{v}} (r \cos v = aC).$
$ \begin{cases} x \\ y \\ z \\ z$	sj	$\int y = aS.$
$ \begin{array}{c} z \\ a, A, A' \\ b, B, B' \\ c, C, C' \end{array} $ Gaussian equatorial constants.	$\left\{ \begin{array}{c} x \\ y \end{array} \right\}$	Rectangular equatorial heliocentric co-ordinates.
b, B, B' Gaussian equatorial constants. c, C, C'	a, A, A'	
	$\left.\begin{array}{c}b, B, B'\\c, C, C, C'\end{array}\right\}$	Gaussian equatorial constants.

ASTROPHYSICAL OBSERVATIONS

Ι	Intensity.
I_{ν}, I_{λ}	Spectral intensity.
I(P)	Point-intensity. If no confusion results, the index P may be omitted.
Ι (σ)	Surface intensity. If no confusion results, the index σ may be omitted.
$I_{\nu}^{(P)}, I_{\lambda}^{(P)}$	Spectral point-intensity. If no confusion results, the index P may be omitted.
m	Apparent magnitude.
m_{v}	Apparent visual magnitude.
m _{Dg}	Apparent photographic magnitude.
m _{pv}	Apparent photovisual magnitude.
mr	Apparent red magnitude.
m _{rad}	Apparent radiometric magnitude.
m _{bol}	Apparent bolometric magnitude.
M	Absolute magnitude (corresponding to the distance 10 parsecs). Indices as for m .
C.I.	Colour Index.
H.I.	Heat index $= m_r - m_{rad}$.

n, c, s, p b, a, f, g, k, m E λ ν λ T _e	Coefficients in expression for difference in two magnitude systems, defined by $m^{(1)} - m^{(2)} = n + C.I. + s (m - m_0) + p (m - m_0) C.I.$ Spectral type expression for colour index. Colour excess. Wave-length. Frequency. Effective wave-length. Effective temperature.
T _c	Colour temperature.
ф А.	Absolute gradient.
Δφ γ _λ , γ _ν	Relative gradient. Ratio of intensity at wave-length λ resp. frequency ν within a spectral line and intensity in adjacent continuous spectrum.
wa	Equivalent width of absorption line.
<i>t</i> -	Exposure-time.
g f	Absorption in grating expressed in magnitudes. Transmission coefficient of filter at wave-length λ .
9x 9x	Transmission coefficient of optical system at wave-length λ .
PA	Zenith transmission coefficient of atmosphere at wave-length λ .
F (z)	Optical path through atmosphere corresponding to zenith distance z ($F(o^{\circ}) = 1$).
V	Radial velocity.
s ·	Measured co-ordinate in spectrum in the direction of dispersion.
c, s ₀ , λ ₀ , a	Constants in Hartmann's dispersion formula, $s - s_0 = \frac{c}{(\lambda - \lambda_0)^a}$.
D _λ	Dispersion at wave-length λ , expressed in mm. or seconds of arc per Angström. Reduction of radial velocity to the centre of the earth
~d X ₆	Reduction of radial velocity to the centre of the sun from the centre of the earth.
	OPTICS OF ASTRONOMICAL INSTRUMENTS
n, n'	Index of refraction.
f	Focal length.
s. s'	Distance from refracting or reflecting surface of a point on the optical
-,-	axis.
r	Radius of curvature of refracting or reflecting surface.
n	Distance of intersection point with surface from the optical axis.
u. u'	Angle between ray in the meridian plane and optical axis.
i.	Angle of incidence.
i'	Angle of emergence.
φ (or φ)	Refracting power of thin lens, defined as $\phi = (n-1)\left(\frac{1}{r_1} - \frac{1}{r_2}\right)$.
ν	Coefficient of dispersion, defined as $\frac{1}{\nu} = \frac{1}{n-1} \frac{dn}{d\lambda}$.
a	Coefficient of accordence excitation defined as $0 = 1 \frac{d^2n}{dn}$

9 Coefficient of secondary spectrum, defined as $\vartheta = \frac{1}{2} \frac{1}{d\lambda^3} / \frac{1}{d\lambda}$. α Refracting angle of prism.

- b Base of prism.
- N Number of lines of grating.
- *m* Order of spectrum.
- d Linear slit width.
- D_{λ} Dispersion at wave-length λ , expressed in mm. or seconds of arc per Ångström.
- A Resolving power of grating or prism (prisms), defined by A = mN for grating by $A = h \frac{dn}{dn}$ for prism and $A = \sum h \frac{dn}{dn}$ for prisms

grating, by
$$A = b \frac{1}{d\lambda}$$
 for prism and $A = \sum b \frac{1}{d\lambda}$ for prisms

P Purity of resulting spectrum, defined as ratio of wave-length to width of monochromatic image of slit expressed in wave-length units, the width being taken as the separation of the points, where the intensity has decreased to 0.405 times the maximum intensity (for an ideal spectrograph with infinitely narrow slit *P* coincides with *A*).

STELLAR ASTRONOMY

m	Apparent magnitude.	
М	Absolute magnitude.	
π	Parallax in seconds of arc.	
	Distance in parsecs.	
1	Galactic longitude	
h	Galactic latitude	
X. Y. Z	Rectangular co-ordinates.	
, -, - H	Proper motion in right ascension, in seconds of time per year.	
ra Us	Proper motion in declination in seconds of arc per year	
r-6	Total proper motion in seconds of arc per year.	
A	Position angle of proper motion reckoned from N towards E is	
0	TOSTION angle of proper motion, reckoned nom 14. towards 15., 1.e.	
	$tg\theta = \frac{15\mu_{\alpha}\cos\theta}{1000}$.	
	μ_{δ}	
υ	Component of total proper motion in the direction towards the assumed	
	apex.	
τ	Component of total proper motion in a direction +90° from the direc-	
	tion towards the assumed apex.	
V	Radial velocity relative to the sun.	
Т	Tangential velocity relative to the sun.	
W	Spatial velocity relative to the sun.	
V_0, T_0, W_0	Radial, tangential and spatial velocity relative to the centroid of the	
	stars considered.	
u, v, w	Rectangular velocity components of velocities relative to the sun.	
A(m)	Frequency function of apparent magnitudes of the stars considered.	
N(m)	Number of stars (among those considered) brighter than annarent	
	magnitude m.	
ь (M)	Frequency function of absolute magnitudes for unit volume for the	
• ()	stars considered	
$f(\mathbf{r})$	Frequency function of distances of the stars considered	
D	Star density the star density in the sun's immediate neighbourhood	
-	being taken as unity	
m (a) = ===	Erequency function of enotial velocities relative to the sun	
$\varphi(\mathbf{u}, v, w)$	Delar equatorial as ordinates of the sun's velocity relative to the contraid	
5, A, D	of the stars considered	
	Destangular on andinates of the survey valuation relation to the contracted	
w_0, v_0, w_0	Rectangular co-ordinates of the sun's velocity relative to the centroid	
	of the stars considered.	

The Gaussian frequency function for a variable x should be written

$$N.\frac{1}{\sqrt{2\pi\sigma}}e^{-\frac{(x-x_0)^2}{2\sigma^2}} \text{ or } N.\frac{h}{\sqrt{\pi}}e^{-h^2(x-x_0)^2}.$$

Parameters of a drift (i = 1, 2, ...):

$N^{(i)}$	Number of stars in the drift among those considered.
$S^{(i)}, A^{(i)}, D^{(i)}$	Polar equatorial co-ordinates of the sun's velocity relative to the drift.
$u_0^{(i)}, v_0^{(i)}, w_0^{(i)}$	Rectangular co-ordinates of the sun's velocity relative to the drift.
$\sigma^{(i)}, h^{(i)}$	Scattering resp. precision of the Maxwellian drift-distribution.

Parameters of an ellipsoidal velocity distribution:

- S, A, D Polar equatorial co-ordinates of the sun's velocity relative to the centre of the distribution.
- u_0, v_0, w_0 Rectangular co-ordinates of the sun's velocity relative to the centre of the distribution.
- $\sigma_u, \sigma_v, \sigma_w; h_u, h_v, h_w$ Scattering, resp. precision of the Gaussian distributions of the velocity components.

 R, θ, z Cylindrical galactic galactocentric co-ordinates.

 Π, Θ, Z Cylindrical galactic galactocentric velocity components.

-V Potential energy of a unit mass in the gravity field of the galaxy.

- I_1 Sum of kinetic and potential energy of a unit mass in the gravity field of the galaxy.
- I_2 Angular momentum of a unit mass with respect to the centre of the galaxy.
- A Coefficient of rotational term in radial velocities.
- B Coefficient of rotational term in proper motions.
- a Absorption coefficient in interstellar space, expressed in magnitudes per 1000 parsecs.

Rectangular co-ordinates and direction cosines referring to co-ordinate systems with different orientation of the axes should be distinguished when necessary with the aid of dashes.

THEORETICAL ASTROPHOTOMETRY

$I, I^{(P)}, I_{\nu}, I_{\nu}^{(P)},$	I_{λ} , $I_{\lambda}^{(P)}$ Intensities, as under astrophysical observations.
P	Degree of polarization.
9	Direction of analyser.
$\bar{q}_{\parallel}, q_{\perp}$	Direction of analyser parallel resp. at right angles to the plane of vision.
$\overline{I(q)}, \overline{I(q_k)}, I(q_k)$	1) Intensity corresponding to directions of analyser q, q_{\parallel} , q_{\perp} respectively.
	The electric vector should define the direction of polarization.
κ _ν , κ _λ	Mass-absorption coefficient at frequency ν or wave-length λ .
j_{ν}, j_{λ}	Mass-emission coefficient at frequency ν or wave-length λ .
ω	Solid angle.
σ	Area.
\$	Geometrical path in the direction of ray considered.
τ_{ν}	Optical path, defined by $d\tau_{\nu} = -\kappa_{\nu}\rho ds$.
θ	Angle with positive direction of normal.
ψ	Angle with negative direction of normal, $\psi = 180^{\circ} - \theta$.
J _v	Mean intensity, defined by $J_{\nu} = \int I_{\nu} \frac{d\omega}{4\pi}$.
$F_{\nu}^{+}, F_{\nu}^{-}, F_{\nu}$	Flux in positive direction, flux in negative direction, net-flux at frequency ν (counted per unit area and unit time).
F+, F-, F	Integrated flux in positive direction, negative direction, integrated net-flux.

$B_{\nu}(T)$	Planck intensity at frequency ν and temperature T.
σ	Stefan's constant; the positive or negative flux in a black body is σT^4 .
a	$\frac{4}{c}$ times Stefan's constant; the energy density of black radiation is aT^4 .
A	Albedo.
$A^{(B)}$	Bond's albedo.
7	Coefficient of diffuse reflection.
i	Angle of incidence.
€	Angle of emergence of diffusely reflected light considered.
a	Difference of azimuth of incident and emergent ray with respect to a horizon defined by the diffusely reflecting element.
α	Phase angle.
φ (α)	Phase law.
f	Phase coefficient defined by $\left(\frac{d\phi(\alpha)}{d\alpha}\right)_0$.
ψ, ω	Latitude and longitude on planetary surface assumed to be globular, the equator being defined by the directions towards the sun and the earth, the prime meridian by the direction towards the earth.

THEORY OF STELLAR ATMOSPHERES AND DIFFUSE MATTER IN SPACE

T	T cool tommore the	^
1	LOCAL LEHIDELALII	с.

- Local density. ρ
- Þ Local gas pressure.
- Local electron pressure. Þ.
- k Boltzmann's constant.
- Mass of hydrogen atom. m_H
- Mass of unit of atomic weight. mo
- Mass of electron. me

Gas constant; this may also be written as $\frac{k}{m_a}$. R

ш	Mole	cular	weight.

- Acceleration of gravity. g
- Negative energy of stationary state i; the zero level is that corresponding Xi to free electron at rest.
- Ionization potential. χ
- Statistical weight of stationary state *i*. gi.
- Einstein transition probability coefficients of spontaneous emission, a_{lk}, b_{lk}, b_{kl} induced emission and absorption, the coefficients b measuring the increase of transition probability per unit mean intensity.
- Oscillator strength.
- $f_{kl} \\ N_i$ Number of atoms in stationary state i per unit volume.
- N, Number of free electrons per unit volume.
- Mass line scattering coefficient at frequency v. σ_{ν}
- Mass line absorption coefficient at frequency ν . κ,
- Mass continuous absorption coefficient. κ
- ĸ Opacity, i.e. Rosseland mean of $\kappa + \kappa_{\nu} + \sigma_{\nu}$.
- Optical depth, defined by $d\tau = -\bar{\kappa}\rho ds$. τ
- Ratio of line absorption coefficient and continuous absorption co- η_{ν} efficient at frequency ν .
- One half of the natural half-width in frequency units of spectral line δ_{kl} corresponding to transition between stationary states k and l.

νο, λο	Frequency and wave-length of centre of spectral line.
	* (0)

Coefficient of darkening, defined by $\frac{I(\theta)}{I(0)} = 1 - u + u \cos \theta$. u

T_e T₀ W Effective temperature.

Boundary temperature.

Factor of dilution of radiation.

THEORY OF THE INTERIOR OF THE STARS

T	Temperature.
ρ	Density.
Фа	Gas pressure.
p_R	Radiation pressure.
P	Total pressure.
β	Ratio of gas pressure and total pressure.
R	Gas constant; this may also be written $\frac{k}{m_0}$.
μ	Molecular weight.
a	$\frac{4}{c}$ times Stefan's constant; the energy density of black radiation is aT^4 .
m.	Mass of electron.
m	Mass of hydrogen atom.
G	Gravitational constant.
Z	Nuclear charge.
A	Atomic weight
	Mass absorption coefficient at frequency v
ĸ	Mass opacity.
r 7	Distance from centre of star.
g ·	Acceleration of gravity.
v	Gravitational potential defined by $dV = -q dr$
M	Mass of star.
R	Radius of star.
I.	Luminosity of star.
\tilde{L}_{α}	Total net-flux through the surface of a sphere of radius r with its centre
r	at the centre of the star.
М	Mass within sphere of radius *
η_r	Ratio of mean energy production within sphere of radius r to the surface
	value of this quantity $\left(\frac{L_r}{M_r} = \eta_r \frac{L}{M}\right)$.
e	Production of subatomic energy per gram and second.
γ	Effective ratio of specific heats, defined by $P = \text{const. } o^{\gamma}$ under adiabatic
,	conditions.
n	Polytropic index, defined by $P = \text{const.} a^{1+\frac{1}{n}}$
u E	Emden variables.
	Total potential energy of star
	Angular velocity of rotation
~ n	Viscosity
'/ """	Radiative viscosity
' R	Italiative viscosity.
Central valu	es should be denoted by index c, surface values by index o (if not other-
wise specified as surface values).	

AUVI

THE SOLAR SYSTEM

φ (or φ) λ	Heliographic latitude. Heliographic longitude.
S	Solar constant.
σ⊙	Angular radius of sun at unit distance.
R_{\odot}	Linear radius of sun.
σ	Angular radius at unit distance.
go	Apparent magnitude of planet, reduced to unit distances from sun and earth.
$\Omega^{(e)}, i^{(e)}$	Longitude of the node and inclination of planet's equator plane.
Ь	Planetographic latitude.
1	Planetographic longitude from the central meridian.
L	Planetographic longitude from meridian defined by the direction to- wards the north pole of the earth's equator.
b_E	Planetographic latitude of the earth's projection (from the centre of the planet) on the planetary surface.
L_E	Planetographic longitude from the meridian defined by the direction towards the north pole of the earth's equator of the earth's projection on the planetary surface (i.e. the polar angle).
Pa	Position angle of planetary axis of rotation.

DOUBLE STAR ASTRONOMY

d	Angular distance.
Þ	Position angle, reckoned from North towards East.
m_1, m_2	Apparent magnitudes of components.
Δm	Difference of magnitudes, $\Delta m = m_2 - m_1$.
M_{1}, M_{2}	Absolute magnitudes of components.
μ_1, μ_2	Masses of components.
a''	Angular semi-major axis of relative orbit.
a	Linear semi-major axis of relative orbit.
e	Eccentricity.
ω, Ω, i	Ordinary orbital elements with respect to the tangential plane as
	fundamental plane.
Т	Perihelion time.
P	Period.
n	Mean angular motion.
A, B, F, G	Thiele-Innes constants.
C, H, L, N	Constants for computing third co-ordinate and relative radial velocity.
Vo	Radial velocity of centre of gravity.
K	Semi-amplitude of radial velocity curve.
α	Mass ratio ($\alpha \leq 1$).
f	Mass function, defined by $f = \frac{\mu_2^3 \sin^3 i}{(\mu_1 + \mu_2)^2}$.
f1, f2	Mass functions, defined by $f_1 = \mu_1 \sin^3 i$, $f_2 = \mu_2 \sin^3 i$.
r_1, r_2	Radii of components $(r_1 \ge r_2)$.
k	Ratio of radii, defined as $k = \frac{r_2}{r_1}$ $(k \le I)$.
δ	Projection of distance between centres of components on tangential
t	Time reckoned from principal minimum
A	Longitude in circular orbit reckoned from principal minimum
v	Longitude in oncodar orbit, reconsider from principal minimum.

2	Intensity in units of maximum intensity.
L ₁ , L ₂	Intensity of non-eclipsed components in units of maximum intensity
	$(L_1+L_2=\mathbf{I}).$
λ1	Minimum intensity (l) for minimum with component 1 in front.
λ	Minimum intensity (1) for minimum with component 2 in front.
α	Intensity-deficiency relative to maximum intensity in units of in-
	tensity-deficiency at complete eclipse.
α₀	Value of α at minimum, i.e. maximum value of α during eclipse considered.
ϵ_1, ϵ_2	Eccentricities of meridian sections of components.
a_1, a_2	Semi-major axes of components.
b ₁ , b ₂	Semi-minor axes of components.

Generally, quantities referring to relative motion, absolute motion of component 1, absolute motion of component 2, should be distinguished by the use of no index, index 1 and index 2 respectively.

VARIABLE STARS

P	Period.
A	Amplitude $(A_{v}, A_{pg}, A_{pv}, A_{rad}, A_{bol})$.
tmax	Time of maximum.
t ^{min}	Time of minimum.
Ε	Number of periods elapsed.
m^{\max}	Apparent magnitude of maximum.
m^{\min}	Apparent magnitude of minimum.
M^{\max}	Absolute magnitude of maximum.
M^{\min}	Absolute magnitude of minimum.

In case t^{\max} and t^{\min} are inconvenient from typographic reasons, T and t might be used instead.

COMMISSION 4 (EPHEMERIDES)

PRESIDENT: Dr L. J. COMRIE.

SECRETARY: Miss J. M. VINTER HANSEN.

On August 4 a joint meeting was held with Commissions 8 and 20, with Dr J. Jackson in the chair.

Dr Jackson referred to the completion of the new fundamental catalogue FK 3 by Prof. Kopff. The resolution referred from the General Assembly to Commissions 4 and 8: "That, from the beginning of 1940, the positions of stars used for the determination of time or in connection with the radio time-signals be based on the FK 3 system" was a natural result of the appearance of the FK 3, and the chairman proposed the adoption of the resolution. This was seconded by Dr Comrie and carried unanimously.

The chairman invited members to express their opinion on the following resolution, which was adopted by the General Assembly at the Paris meeting: "Commissions 4, 8 and 20 are requested to consider the advisability of restoring to positional astronomy the term in the annual aberration depending on the eccentricity of the Earth's orbit, and to report at the next meeting of the Union." The general feeling was that the present practice of neglecting the term in question should be continued as far as star positions are concerned. Prof. Leuschner pointed out that

23-2