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Fundamental singularities in the theory of water waves with surface tension: Corrigenda

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The Editor regrets that two errors have appeared in [1], through no fault of the author's. On page 325 the result (3.5) and the two lines following it should read:

(3.5)
$$\phi = \frac{\cos(m+1)\zeta}{\rho^{m+1}} + \frac{1}{m!} \oint_{0}^{\infty} \frac{k^{m}P}{k(1+Mk^{2})\sinh kh - K\cosh kh}} \cos kx dk ,$$

where

$$P = (-1)^{m+1} \left[k(1 + Mk^2) + K \right] e^{-kY} \cosh(h - y) + e^{-k(h - Y)} \left[k(1 + Mk^2) \cosh ky - K \sinh ky \right] .$$

On page 328 the result (4.3) and the two lines following it should read:

$$(4.3) \qquad \phi = \frac{P_m(\cos\zeta)}{\rho^{m+1}} + \frac{1}{m!} \oint_0^\infty \frac{k^m Q}{k(1+Mk^2)\sinh kh - K\cosh kh} J_0(kR) dk ,$$

where

$$Q = (-1)^{m} [k(1+Mk^{2})+K] e^{-kY} \cosh k(h-y) + e^{-k(h-Y)} [k(1+Mk^{2})\cosh ky - K\sinh ky] .$$

Reference

[1] P.F. Rhodes-Robinson, "Fundamental singularities in the theory of water waves with surface tension", *Bull. Austral. Math. Soc.* 2 (1970), 317-333.

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